



LECTURE PADOVA UNIVERSITY, 20.04.2017

# Optimization challenges in ABB

Alessandro Zanarini, PhD, Principal Scientist

# — Agenda

Introduction to ABB

(My very own experience on) Optimization Role and Goals

Optimization challenges in ABB

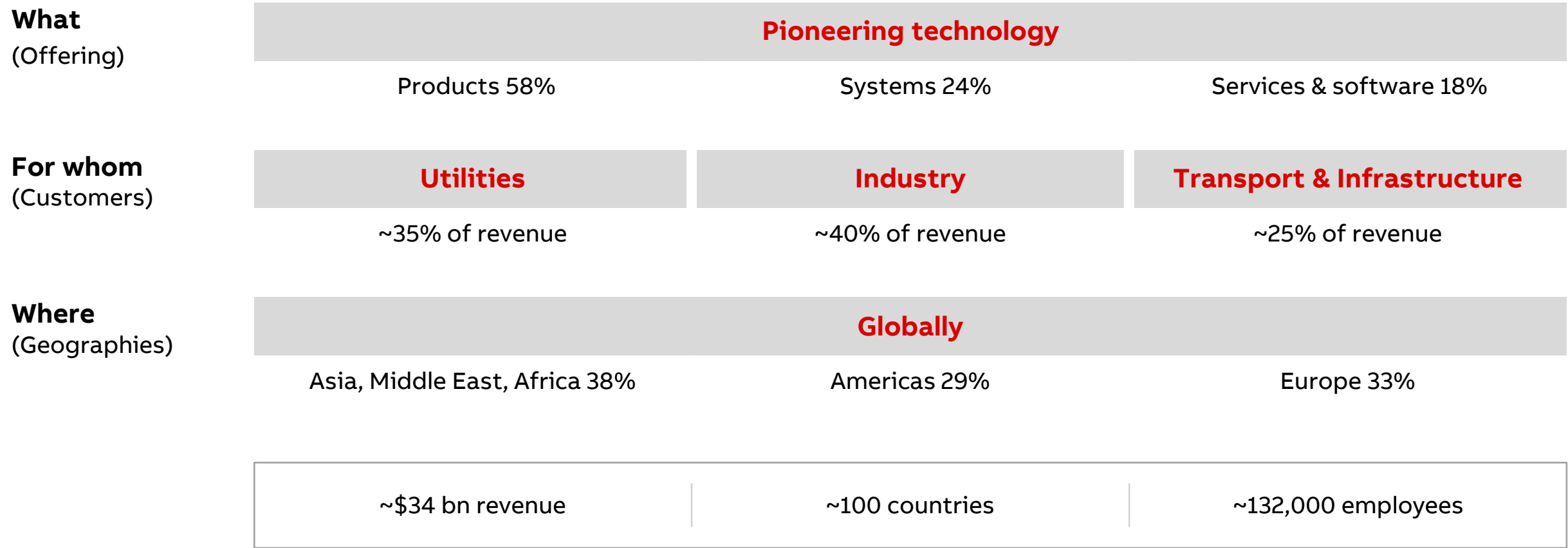
Case studies

Conclusions

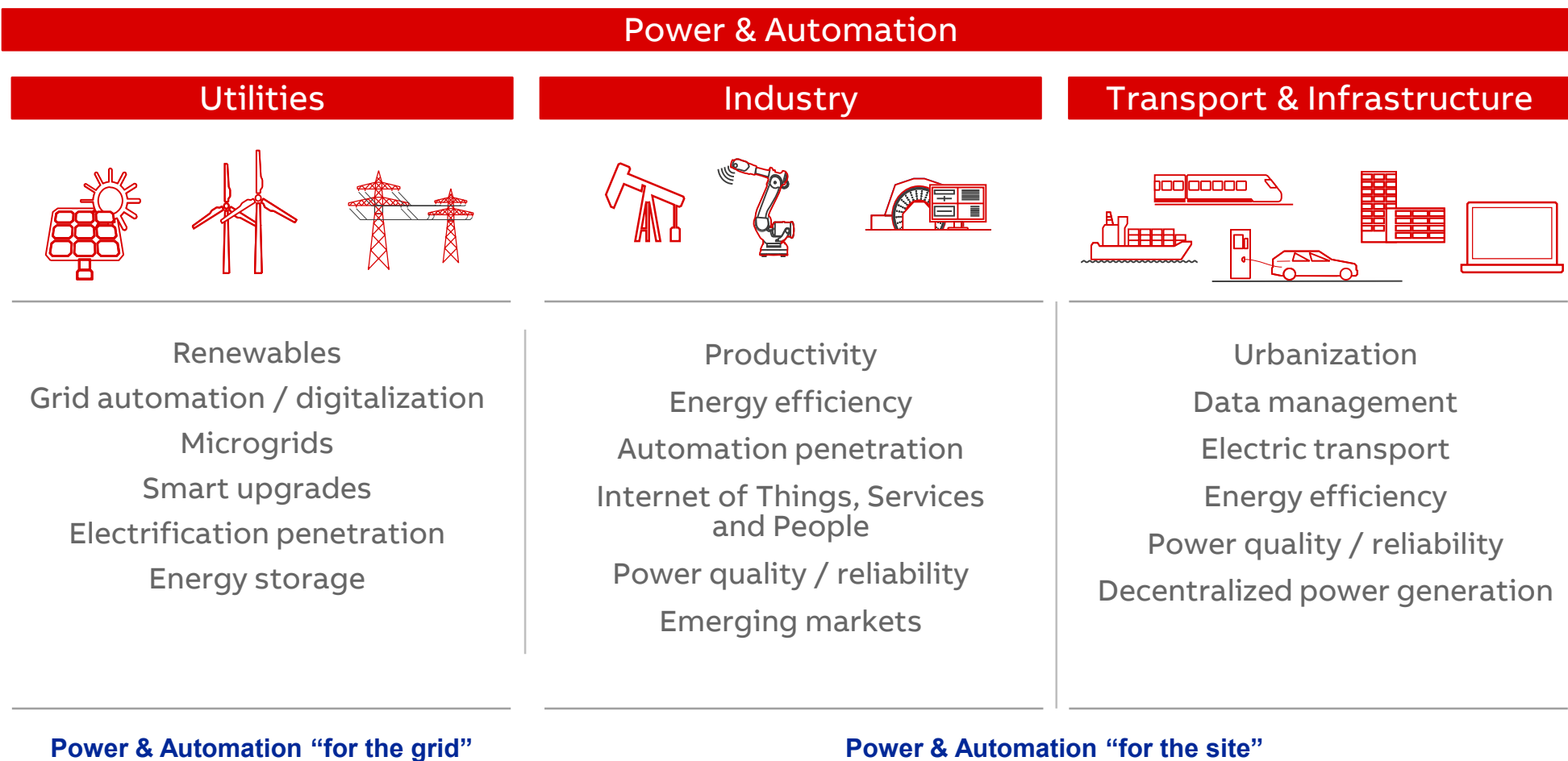


# Introduction to ABB

# ABB: the pioneering technology leader



# Well positioned in attractive markets

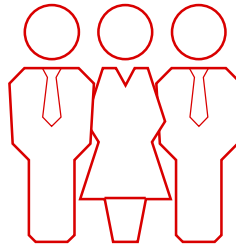


# Shaping the world through innovation



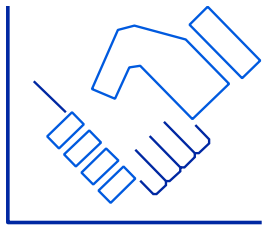
**+\$1.5 bn**

Investment annually



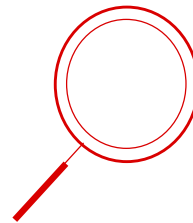
**~ 8,500**

Scientists and engineers



**~ 70**

University collaborations



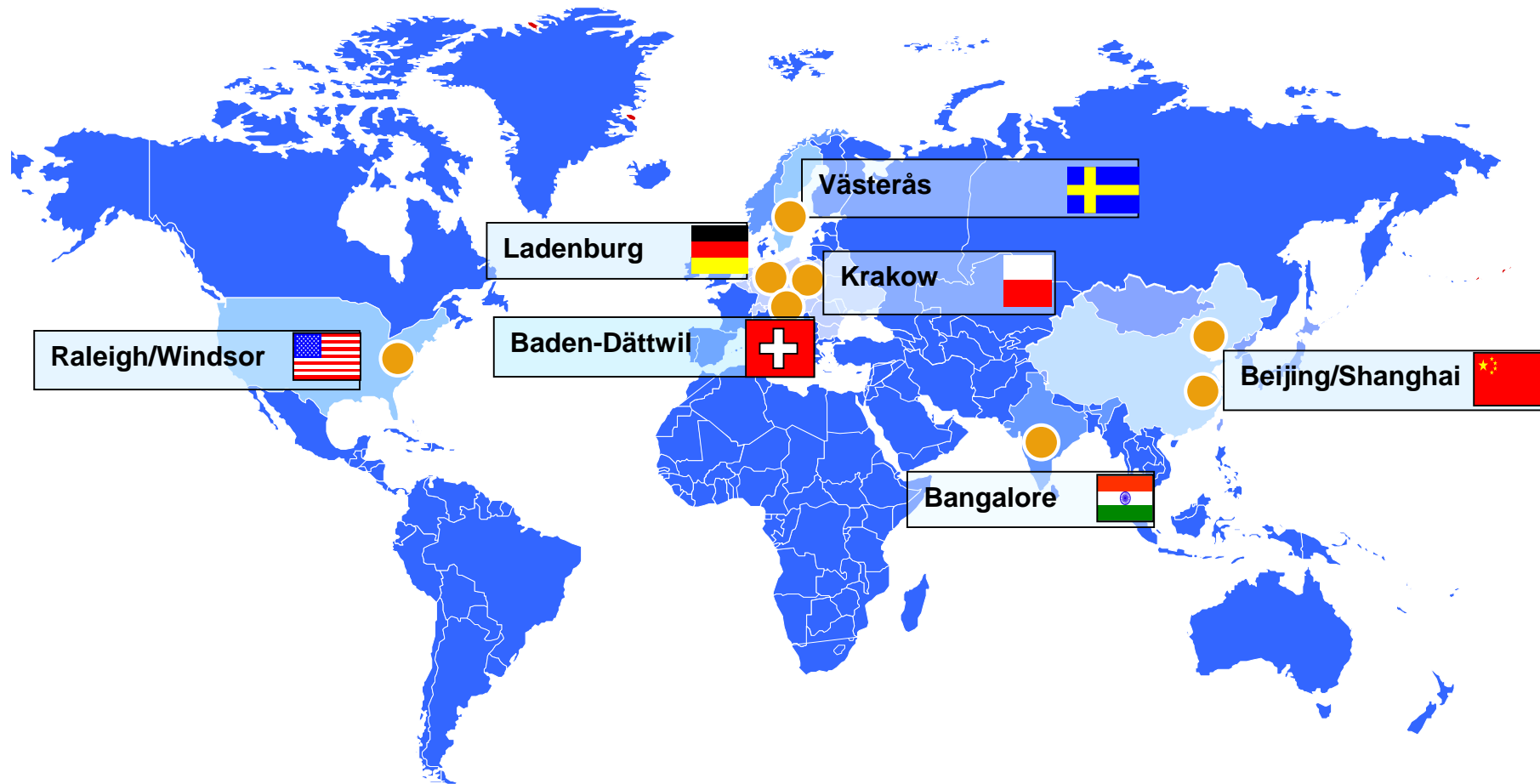
**7**

Corporate research labs  
linked by a global research  
organization

**Innovation is ingrained in the DNA of ABB**



## 7 Research centers





**(My very own experience on)  
Optimization Role and Goals**



---

# Automated tool vs Optimization

- Shift from “manual” to “automated tool” is seen as the holy grail
- Optimization seen as cherry on the cake... but the cake is needed first 😊
- Optimization expert needs to educate the customer about “optimization potential/capabilities”
- Customer does not (always) know what he/she wants to optimize
- Optimization can unleash considerable potential savings
- Optimization may threaten jobs. No-optimization may threaten entire companies

# Optimization development phases

## 1. Discovery

- Understanding the problem, its constraints, its objective function(s)

45%

## 2. Designing and implementing an optimization model/algorithm

- All models are wrong but some are useful (cit. George Box) → understanding necessary assumptions/approximations

10%

## 3. Integrating with existing IT system / workflow

- Fetching and preparing input to optimization model/algorithm
- Feeding back the (sub) optimal solution

25%

## 4. Testing

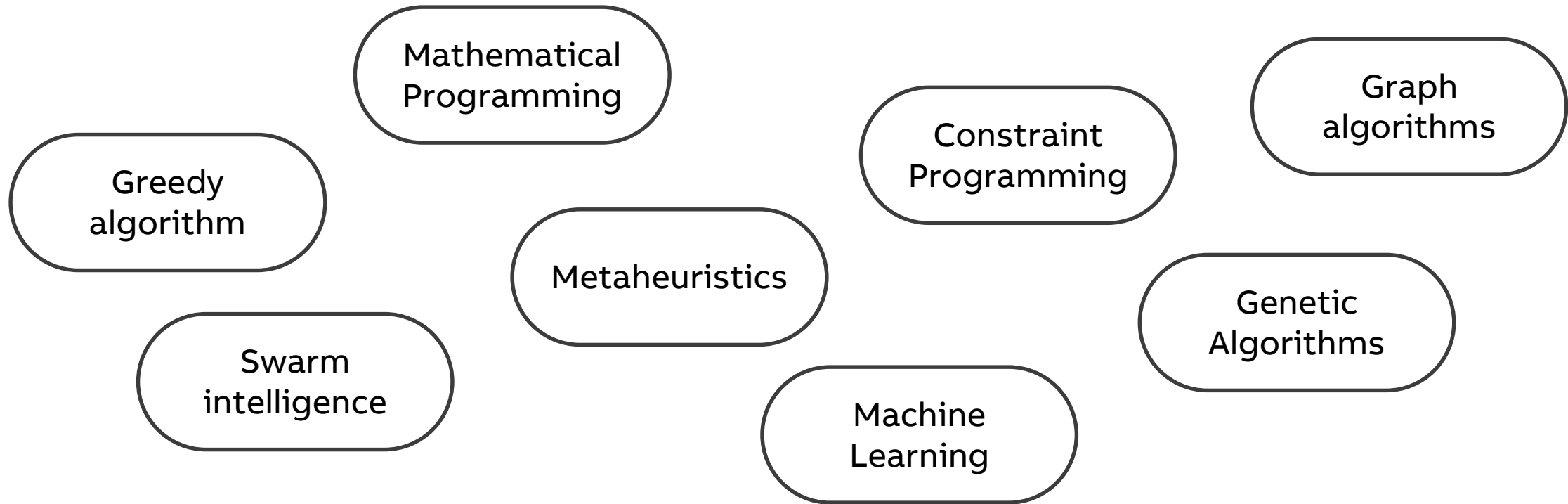
- Verifying constraint satisfaction, hypothesis, etc...

20%

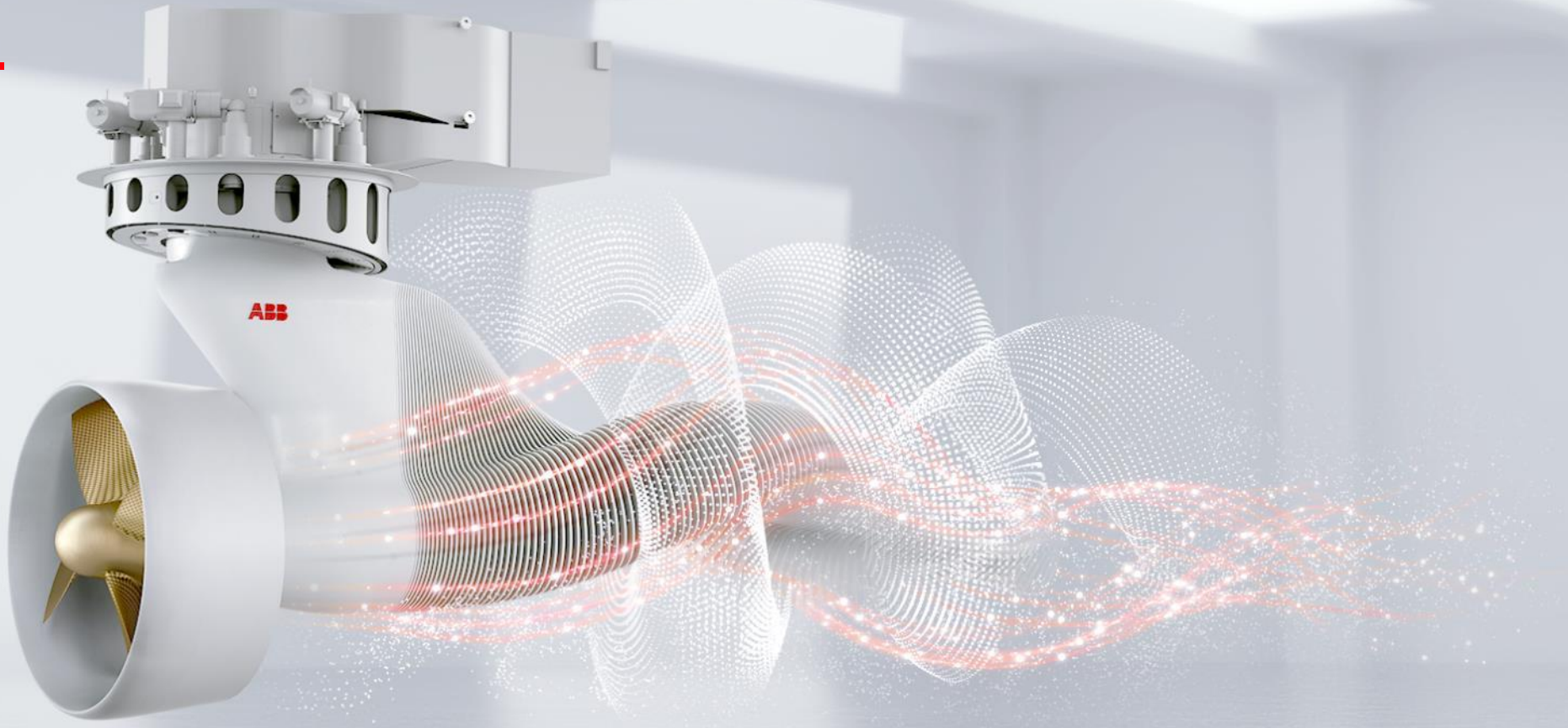
**Business case/model needs to be defined!!!**

# Optimization technologies

A highly incomplete list for discrete optimization

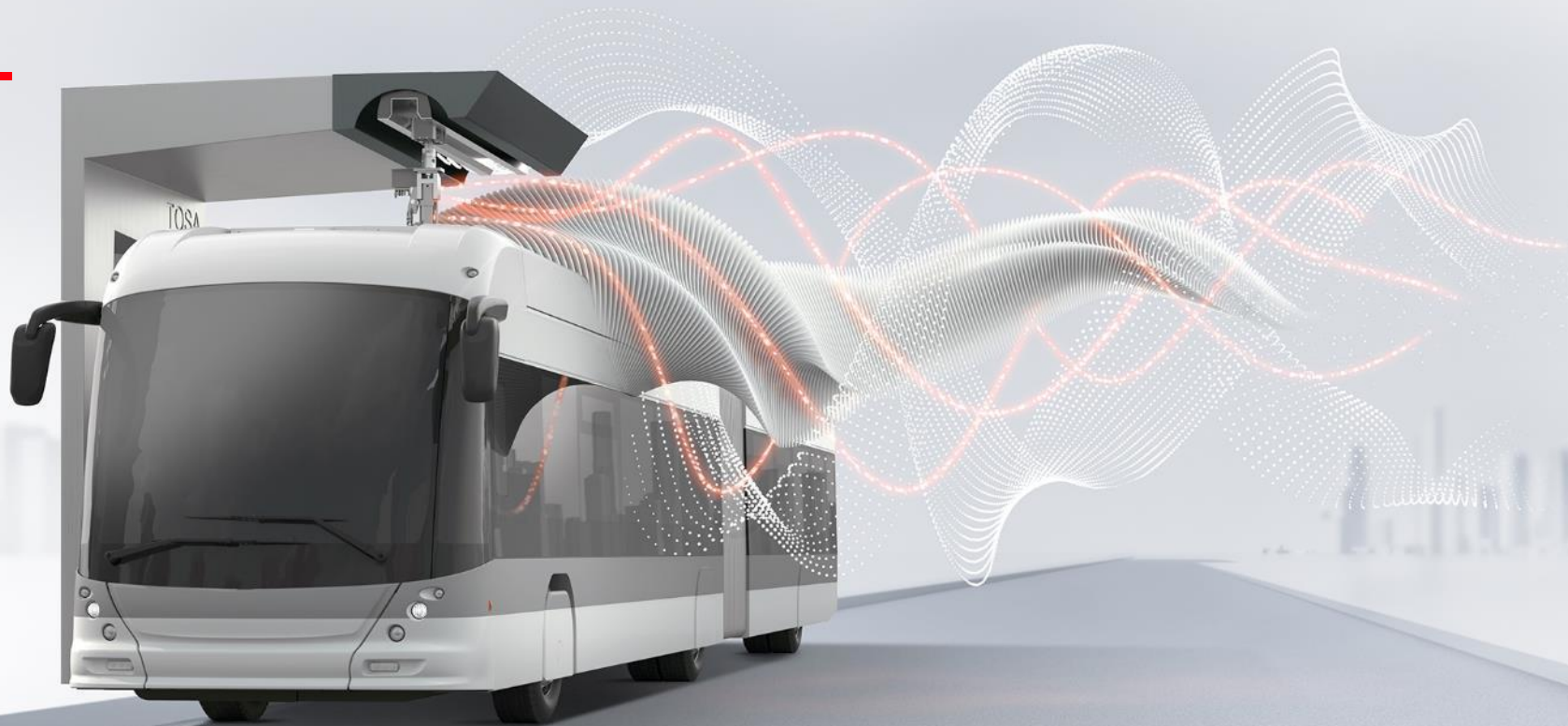


**Master the technologies and understand pros and cons**



# Optimization challenges in ABB

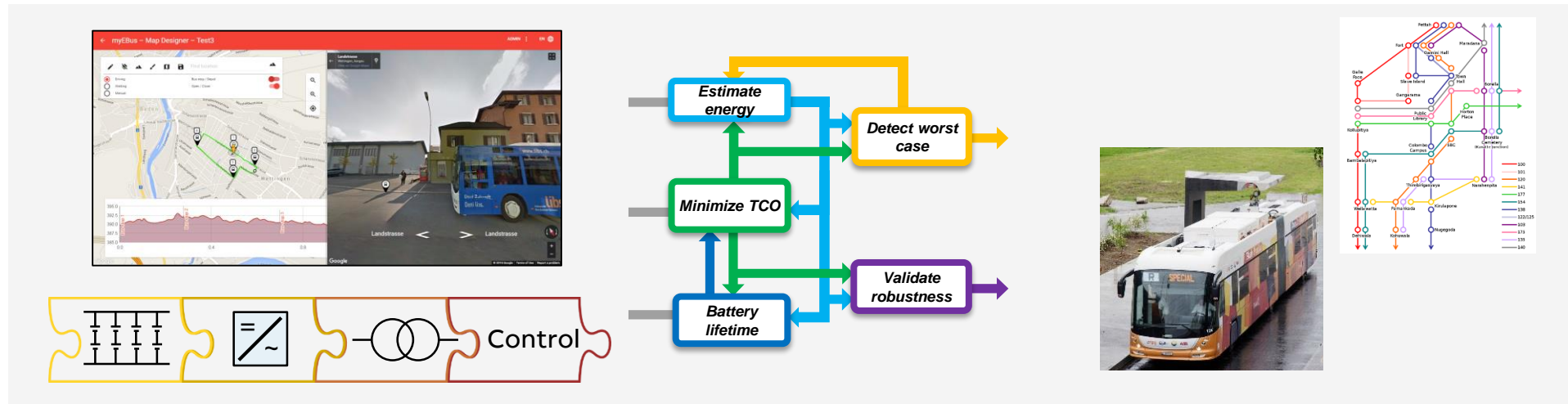




# Electric public transportation



# Optimize electric charging infrastructure for e-buses



## Benefit Why

Increase chance of winning projects

Minimize ABB engineering and tendering costs

Find the most **cost-effective technical solution** for a given city

Develop and maintain relevant **battery know-how** in ABB, contribute to **ES Vertical**

## Technical Solution How

E-Bus and system **simulation and optimization**

**Traffic simulation** for mobile BESS

**Sensitivity analysis** to assess solution robustness

Further development of battery **electrical / thermal / ageing model**

## Project Goal What

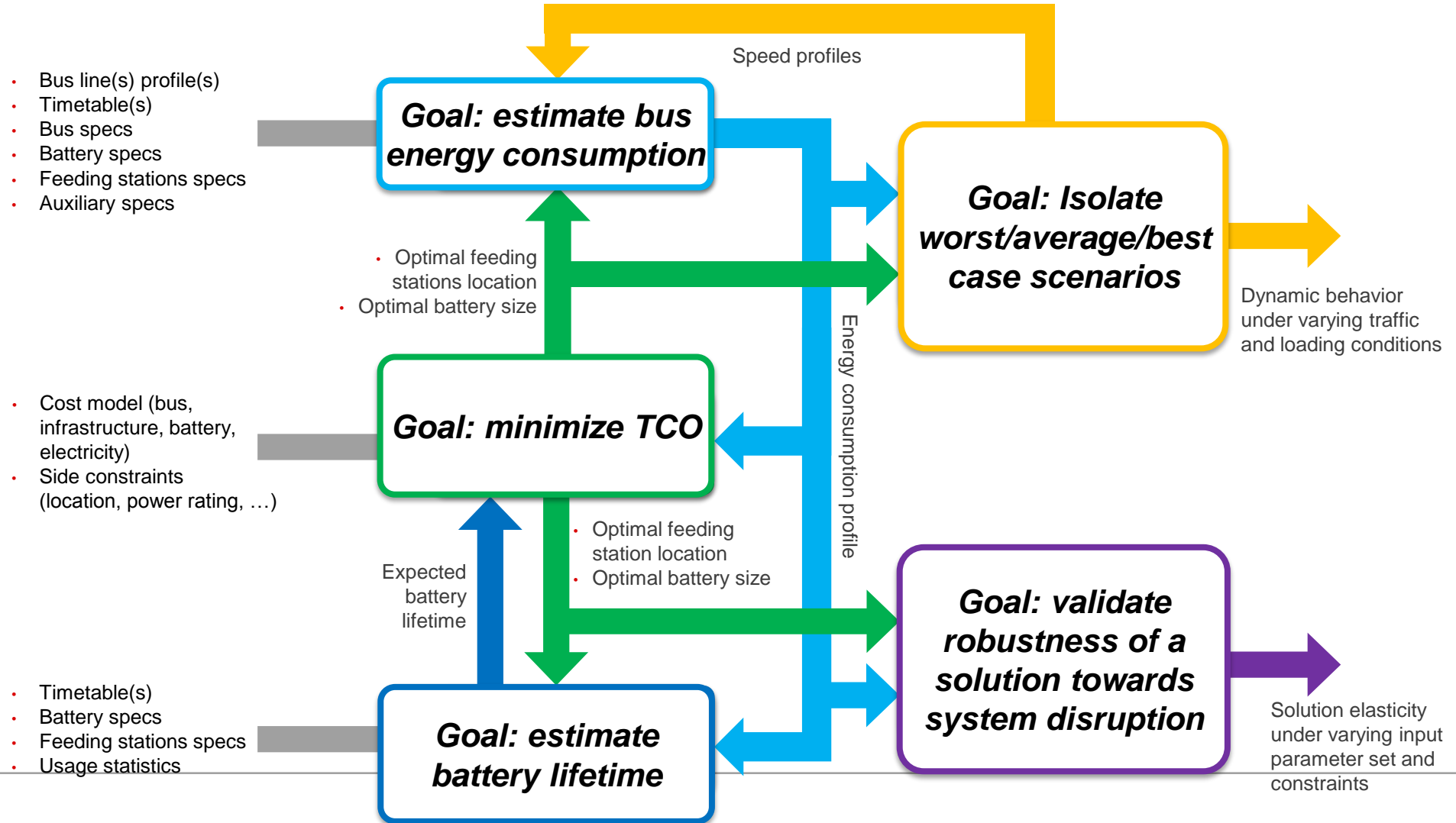
**Minimize TCO**

**Minimize engineering and tendering time**

**Minimize project risks** thanks to advanced battery ageing models

Assess **solution robustness** towards **varying traffic, load and weather conditions**

# Architecture





# Robot Sequencing

# ABB Yumi







# Container Terminal Optimization



# Container terminals

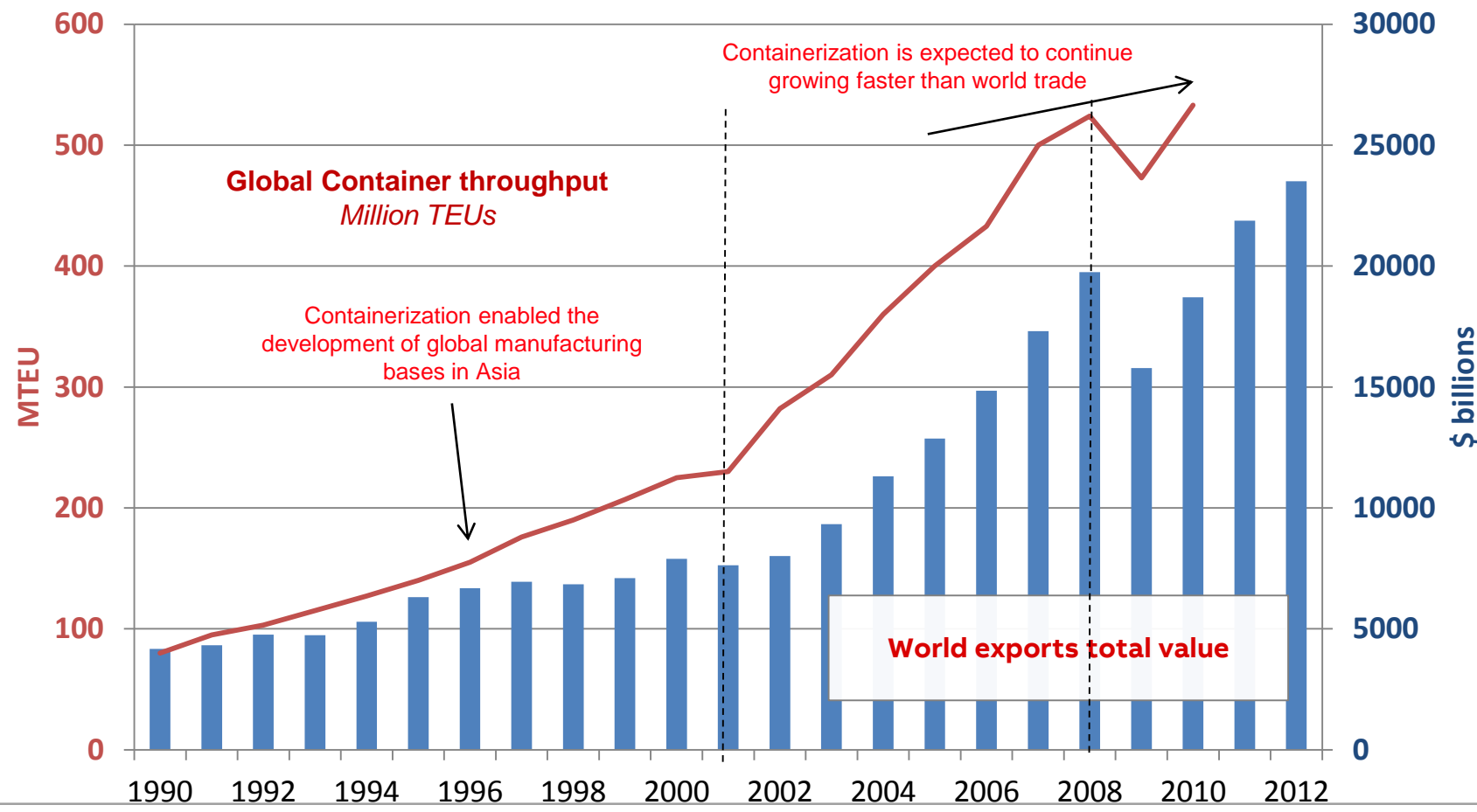




# Container trade growth

*Container logistics throughput grows significantly faster than global trade*

*2010 volumes higher than 2008 , 2011 increase 6-8%*



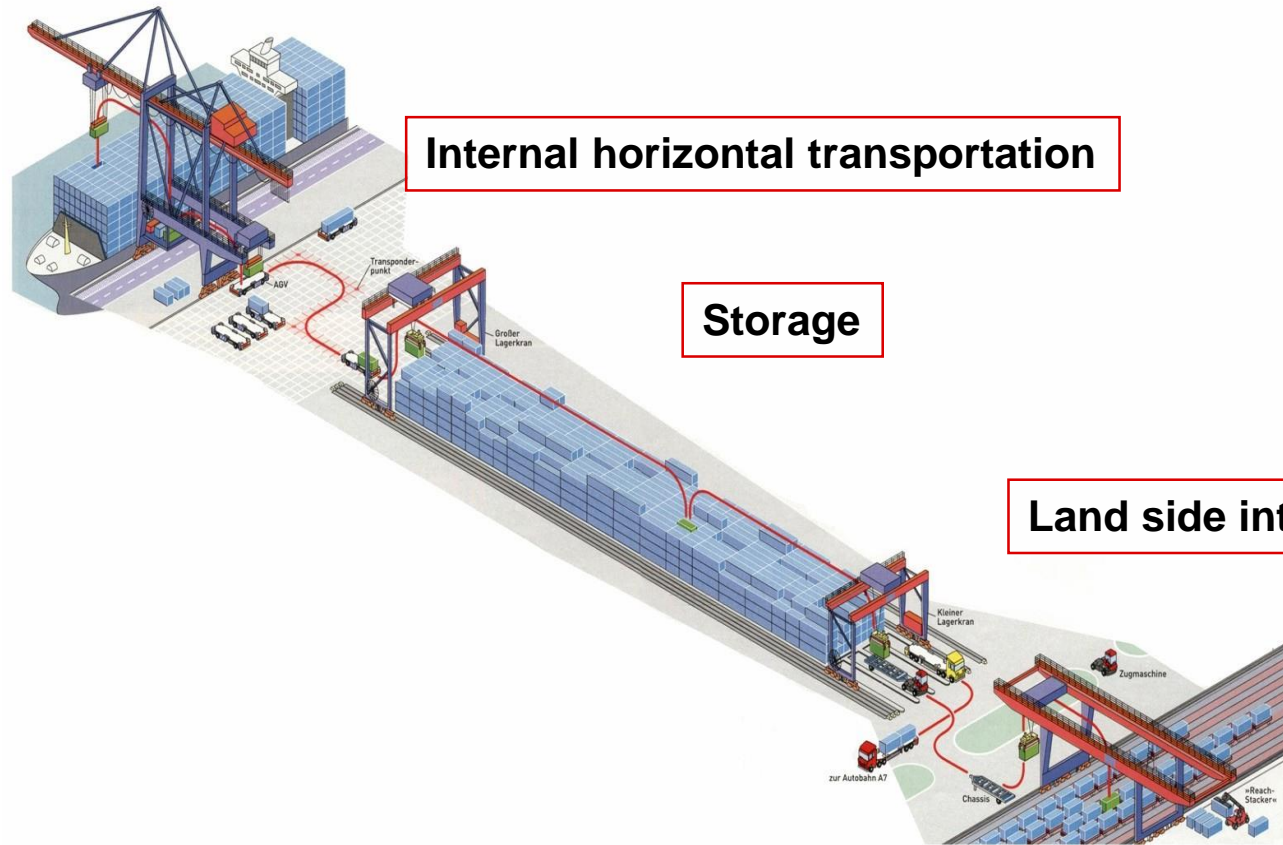
# Zooming in

Off-load/load ship

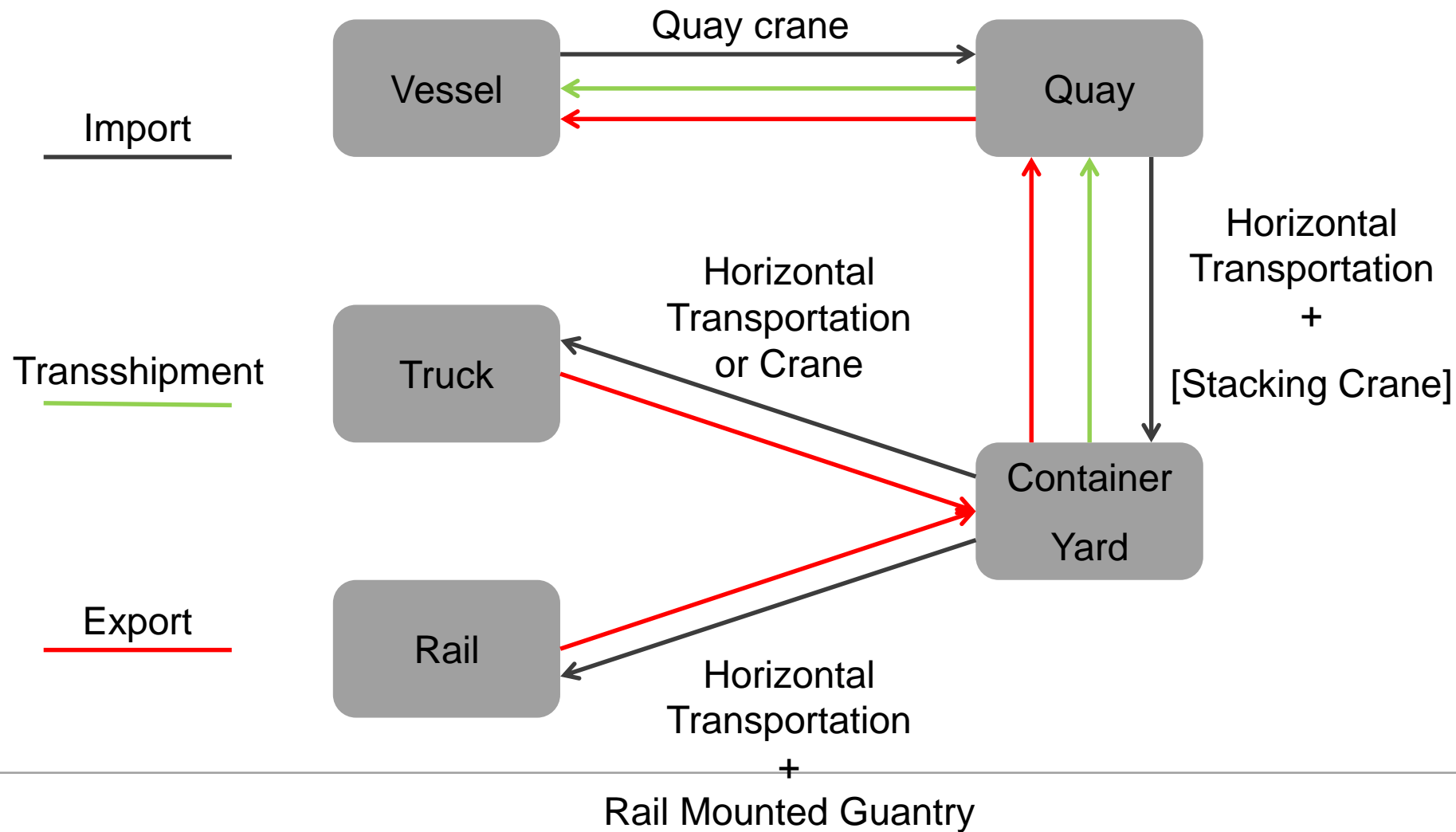
Internal horizontal transportation

Storage

Land side interface



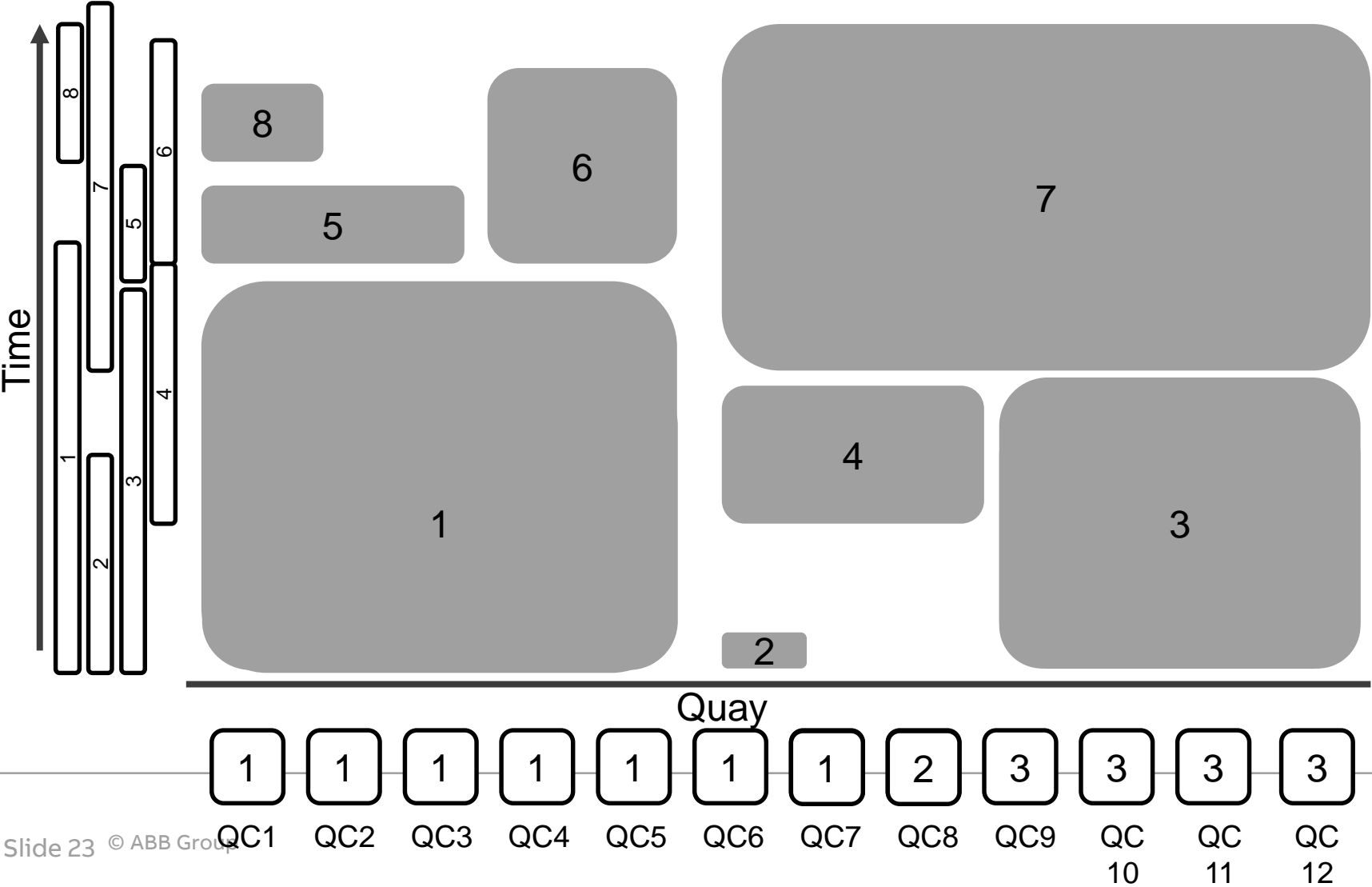
# The life of a container in a terminal





# Berth Allocation

Rich 2D packing problem





# Berth Allocation

## High Level Model

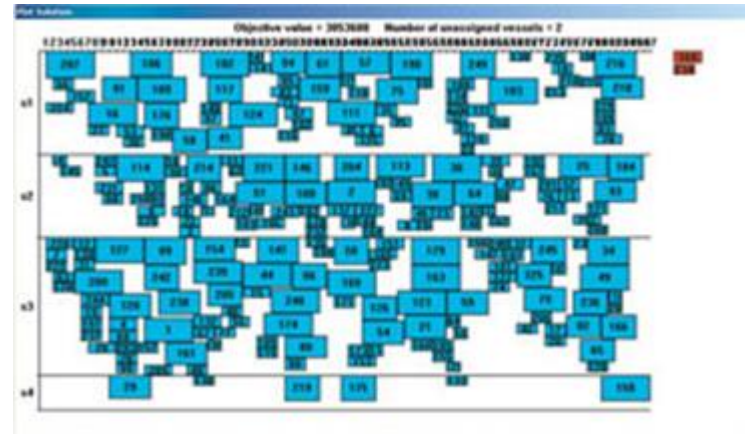
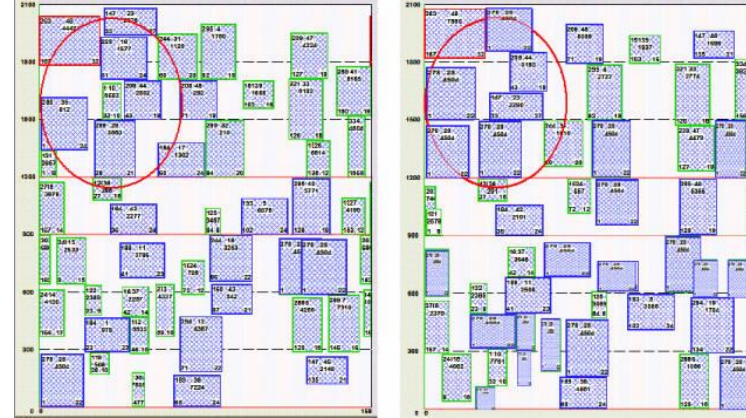
### Objective function

- Maximize Quay Utilization
- Minimize Lateness
- Minimize Number QC Used Per Shift
- Minimize Number QC Night Shifts
- Minimize QC Idleness

### Constraints

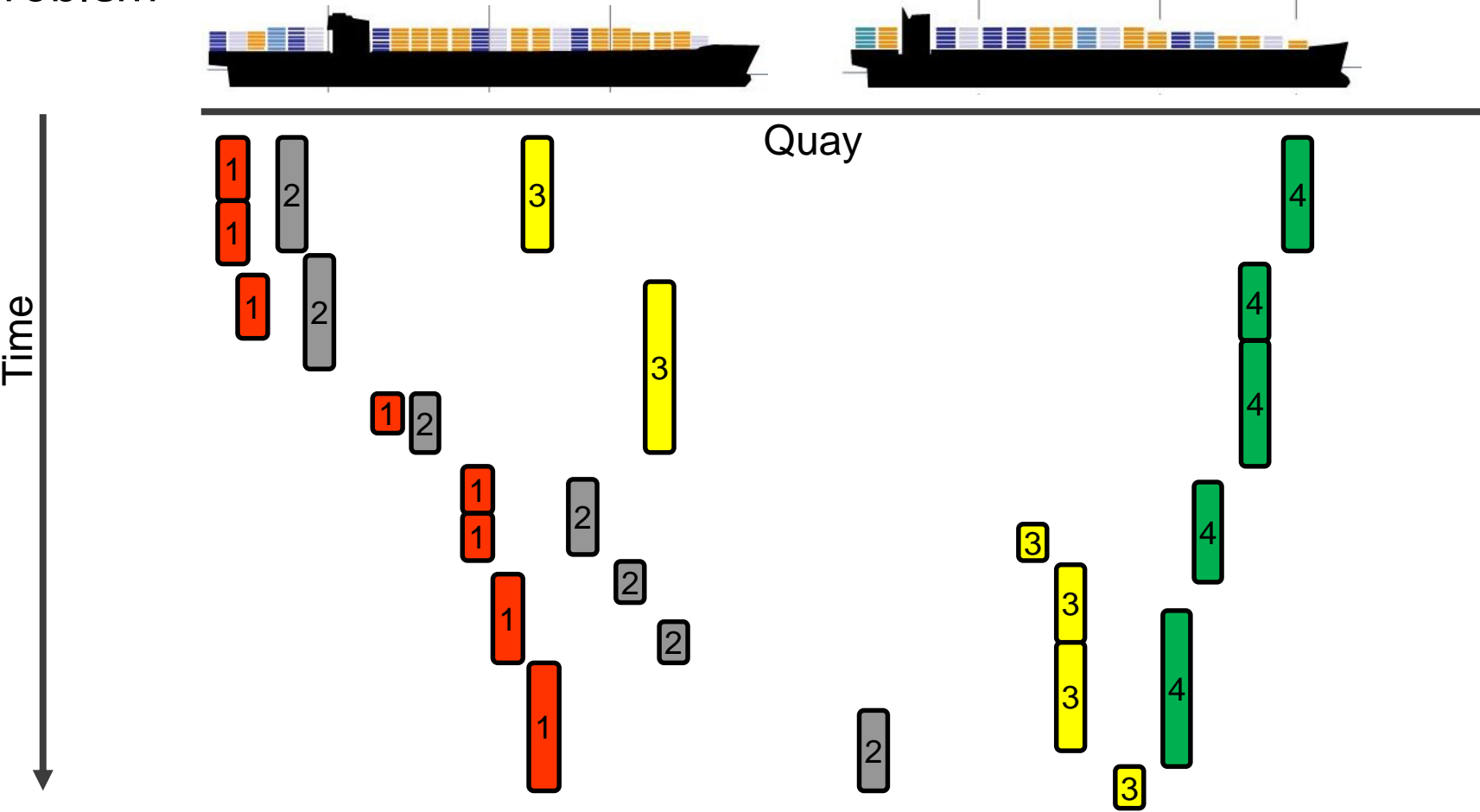
- Space and Time Constraints
- Non Passing Cranes
- Crane/Ship Compatibility
- Maximum Number Cranes per Ship

Features: offline problem



# Quay Crane Allocation and Scheduling

## Scheduling Problem



---

# Quay Crane Allocation and Scheduling

## High Level Model

### Objective Function

- Maximize Throughput
- Minimize Interference
- Minimize QC Idleness
- Maximize Dual Cycling (single crane / multiple crane)

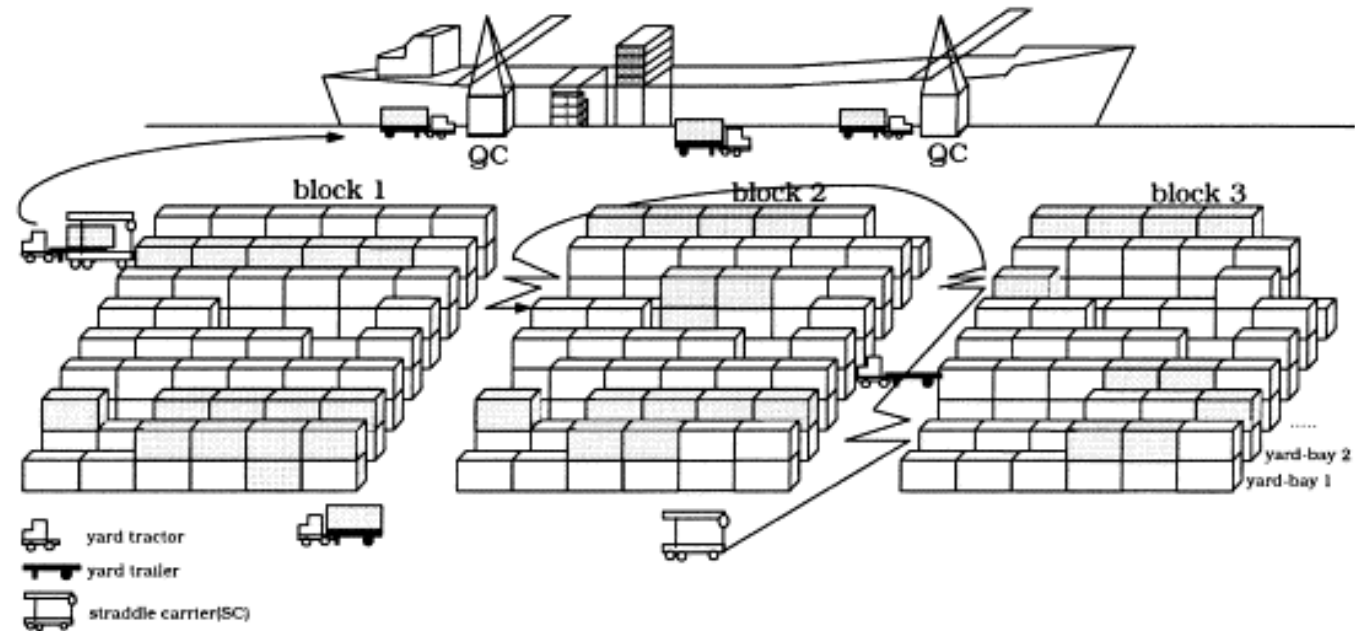
### Constraints

- Safety Distance
- Non Passing Cranes
- Precedence between Working Queues
- Setup Time between Working Queues
- Boom-up / boom-down
- Crane/Ship Compatibility

Features: online and stochastic (working queue timing and QC failures)

# Horizontal Transportation

## Routing Problem



---

# Horizontal Transportation

## High Level Model

### Objective Function

- Minimize QC/ASC Waiting Time
- Maximize Throughput (moves/hour)
- Minimize Empty Travelling Distance

### Constraints

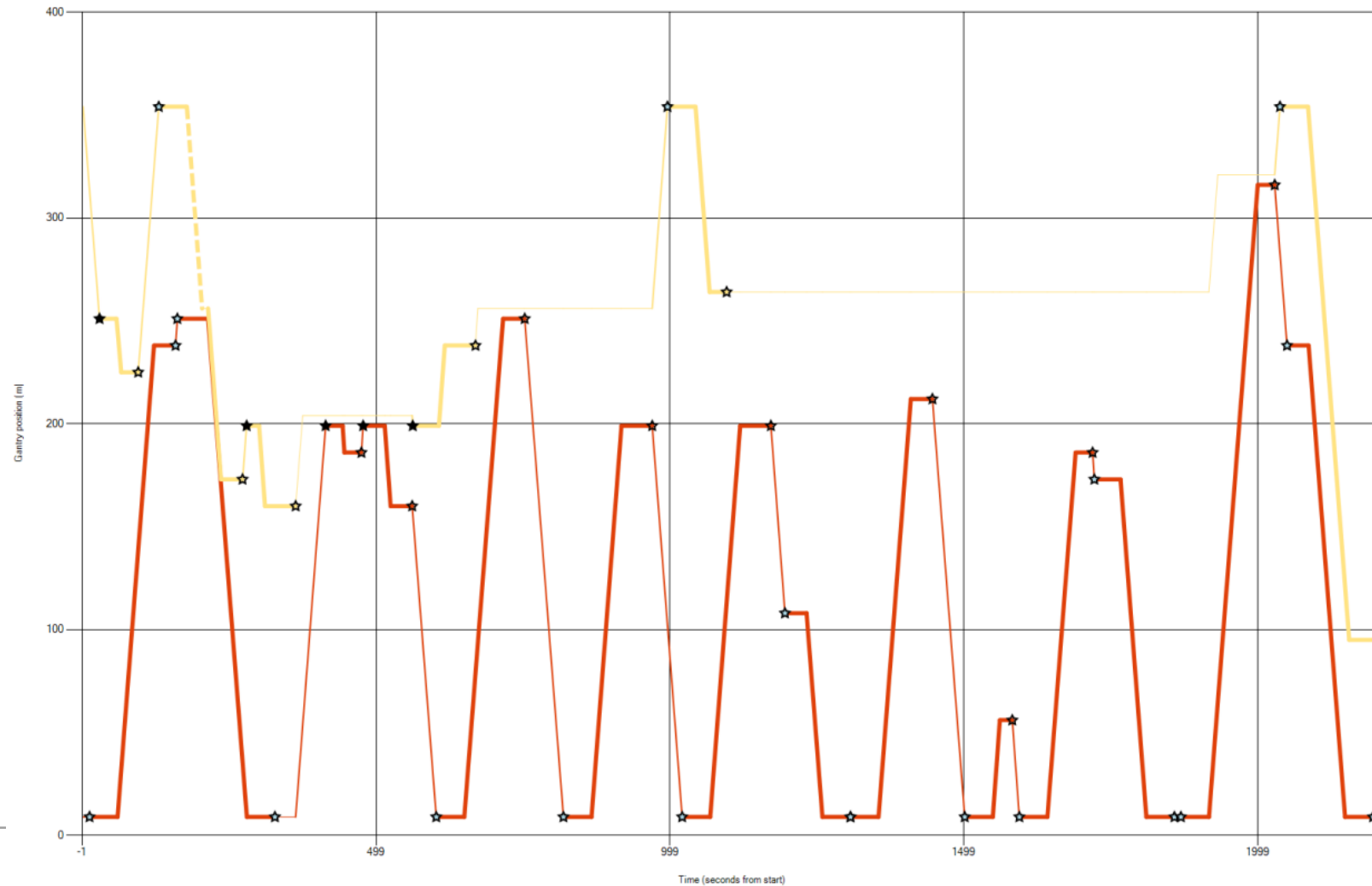
- Precedence between Job Orders
- Job Order Time Windows (release and due dates)
- Maximum Waiting Time for Trucks [Straddle Carriers]
- Global Pooling vs Local Pooling
- Union Regulations [Manned Vehicles]

Features: online, highly stochastic (timing and job orders), data flow



# Automatic Stacking Crane Scheduling [Columbus]

## Scheduling Problem



---

# Automatic Stacking Crane

## High Level Model

### Objective Function

- Maximize ASC Throughput
- Minimize Empty Travelling Distance
- Minimize AGV/Trucks Waiting Time

### Constraints

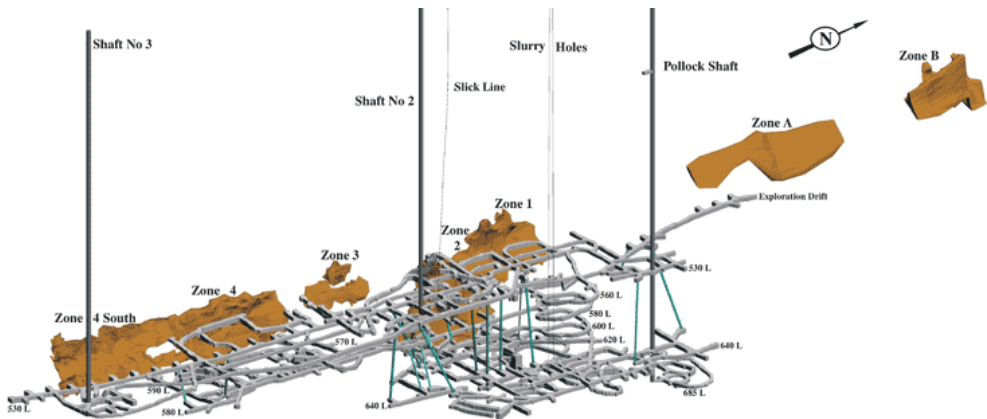
- Non Passing Cranes
- Precedence between Job Orders
- Job Order Time Windows (release and due dates)
- Coupled vs Decoupled Transfer Zone

Features: online, highly stochastic (timing and job orders), data flow



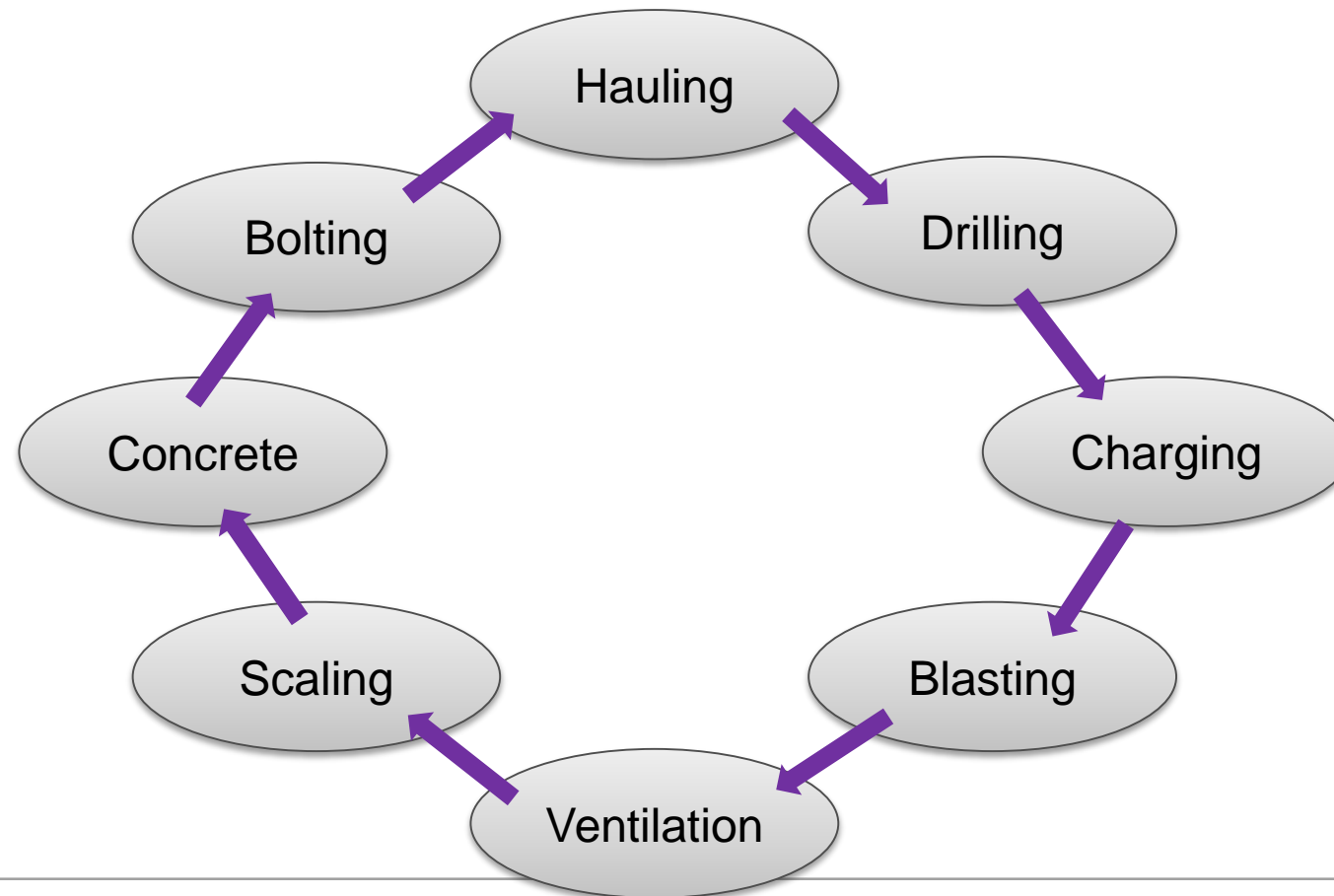
**Mining industry**

# Underground Mine



# Automated scheduling

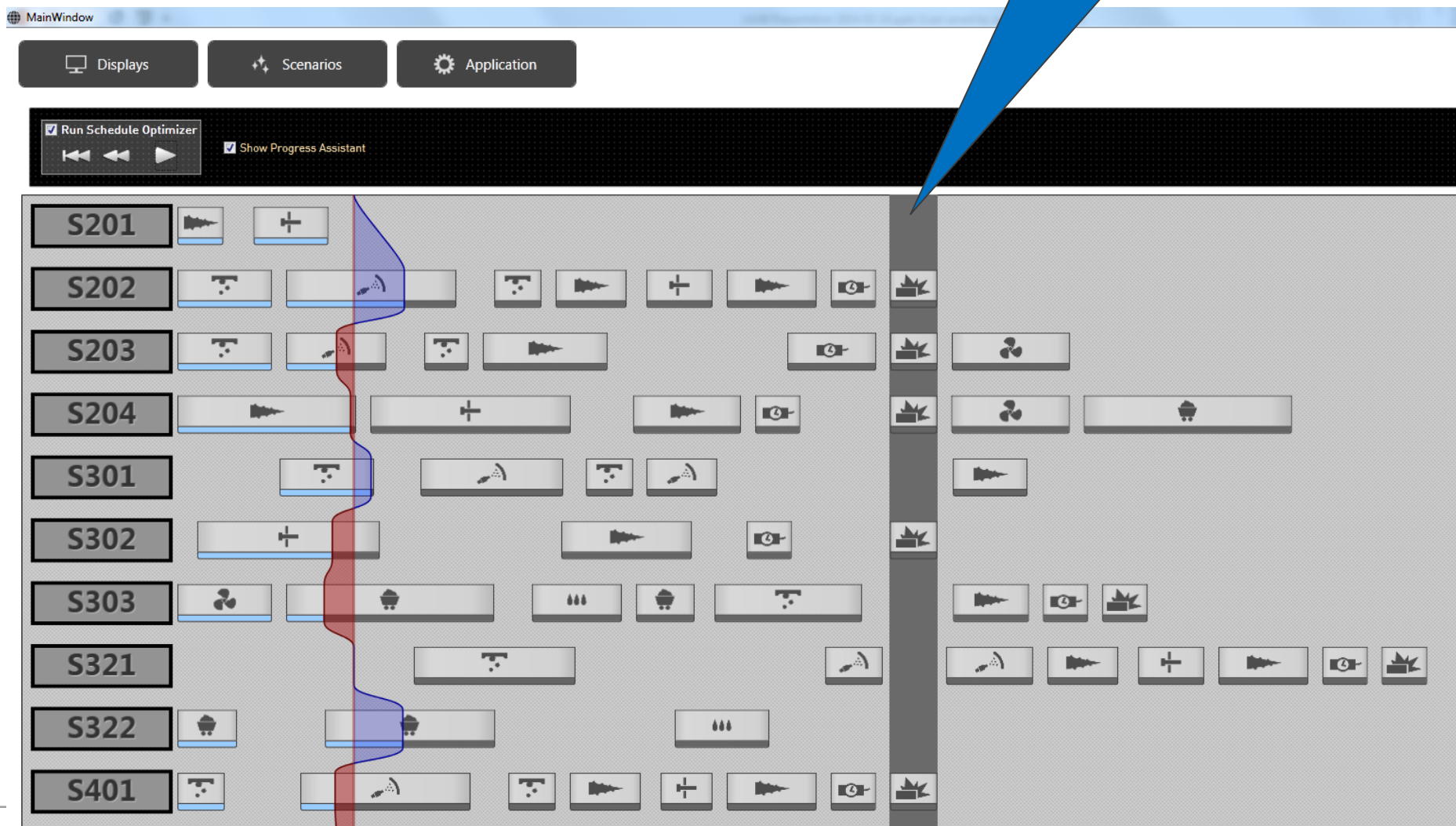
Example of drill & blast cycle





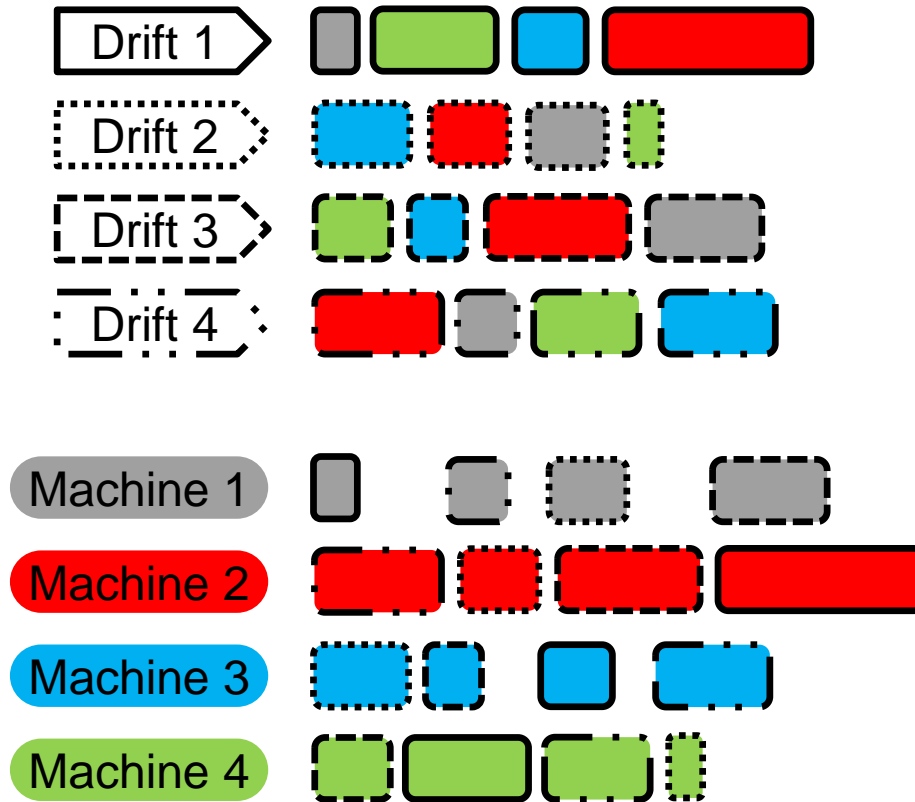
# Automated scheduling

Blasts can only take place at certain times



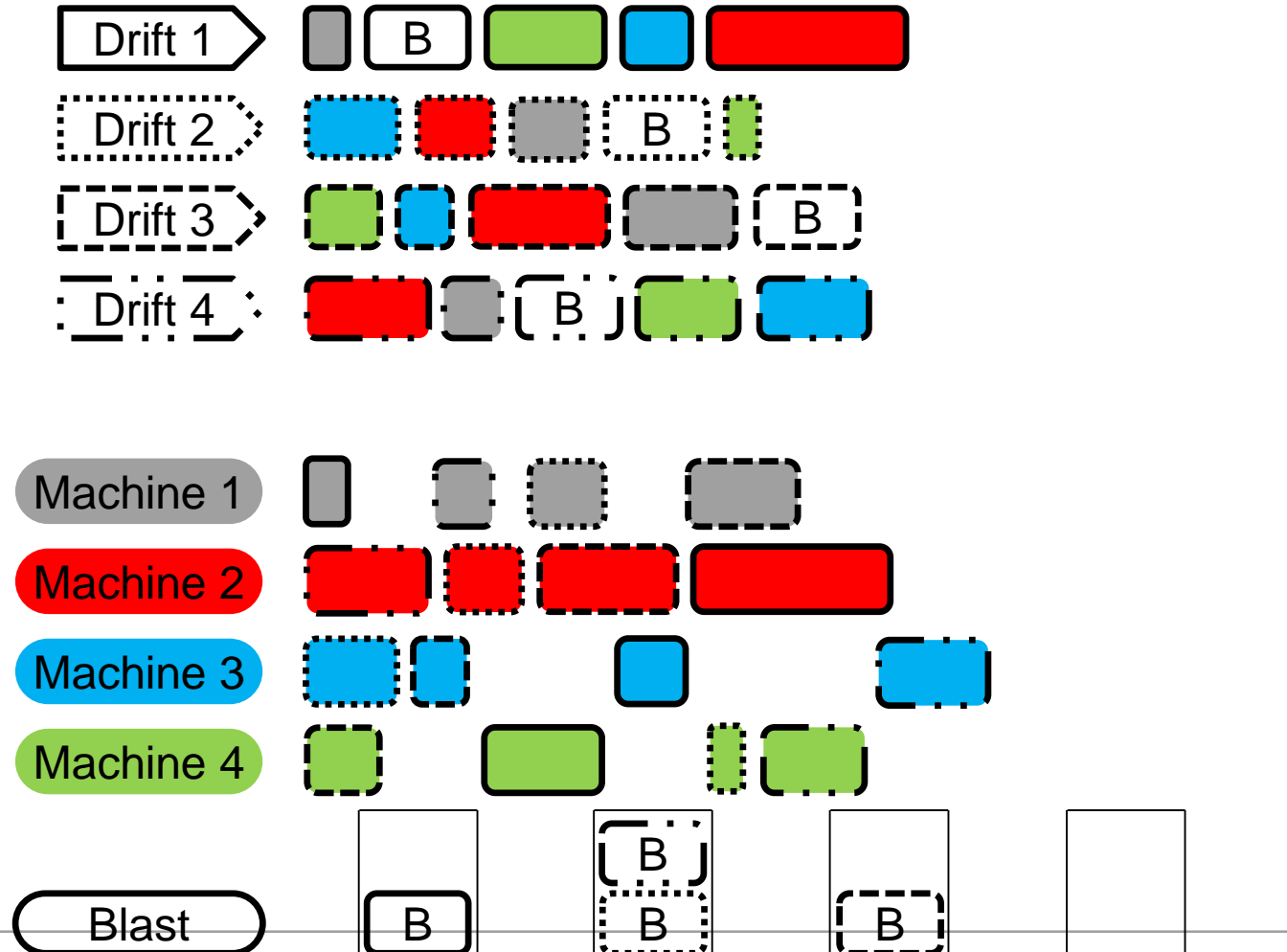
# Mine Scheduling as a Rich Job Shop Problem

The pure Job Shop Problem



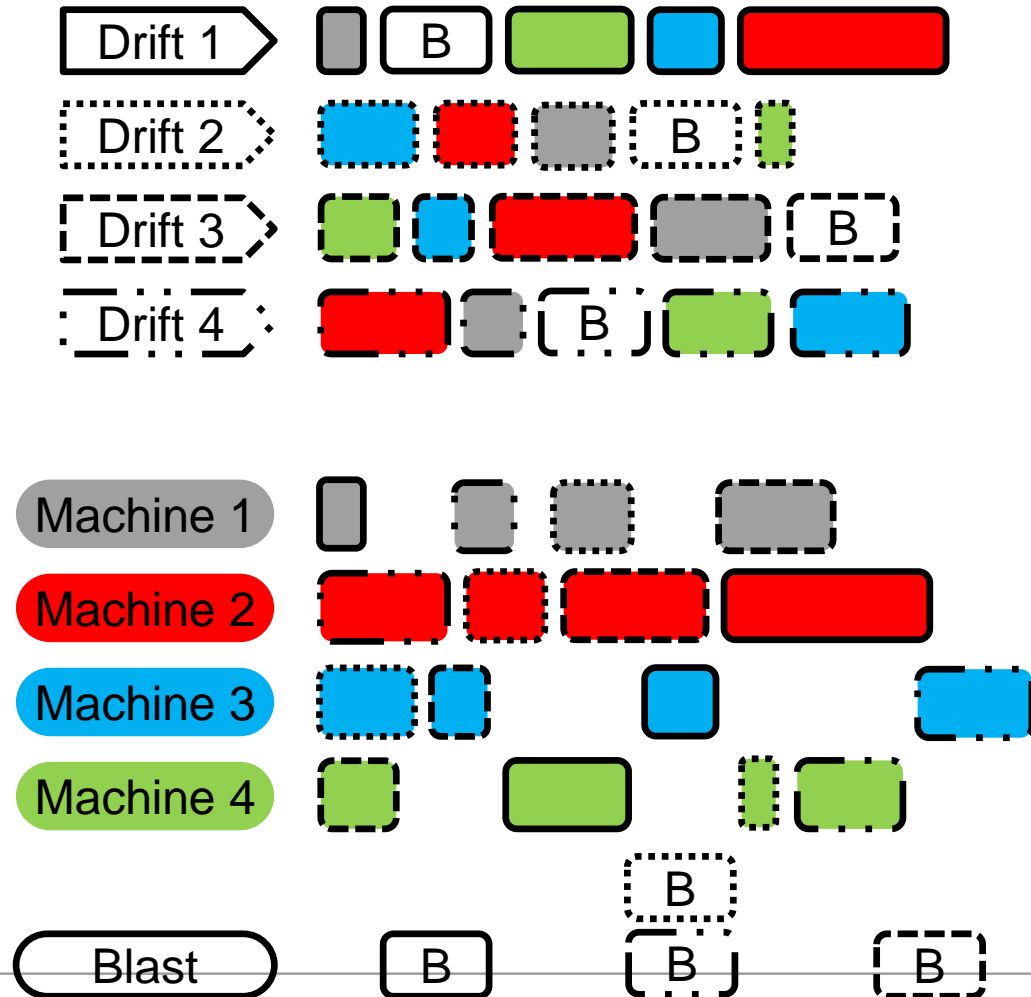
# Mine Scheduling as a Rich Job Shop Scheduling

Adding blasts



# MinePROPT as a Rich Job Shop Scheduling

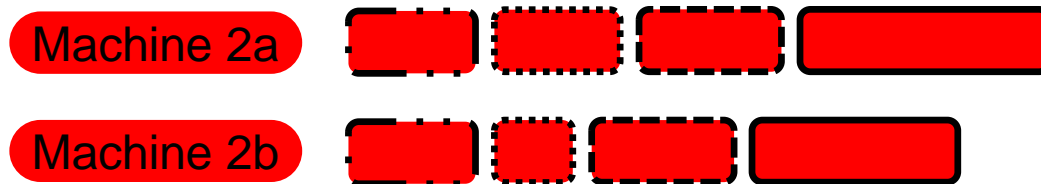
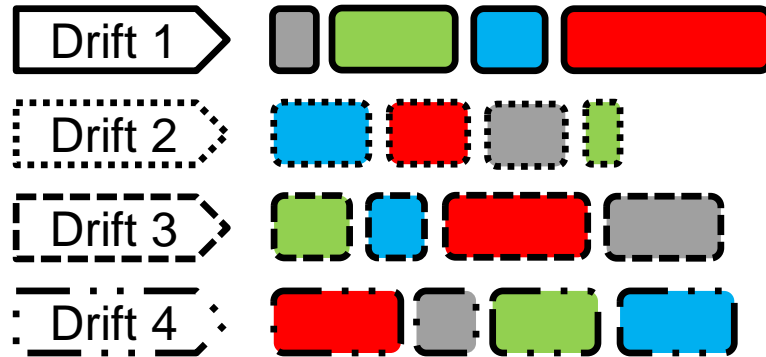
Adding Travelling time





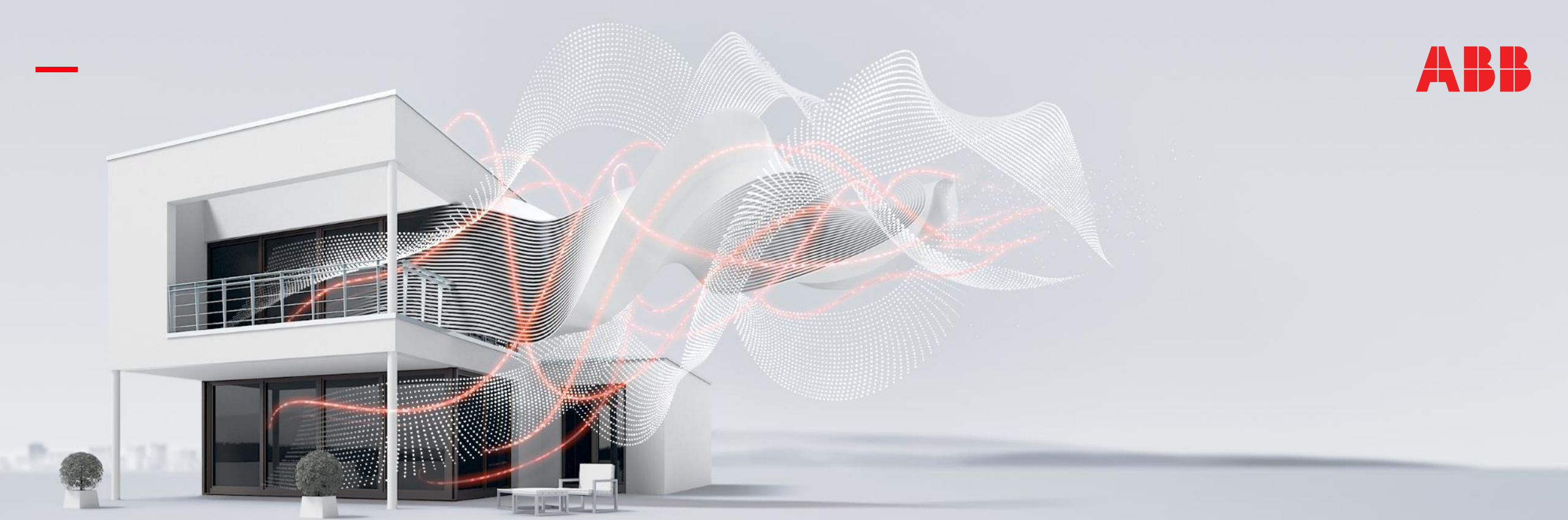
# MinePROPT as a Rich Job Shop Problem

## Alternative Machines



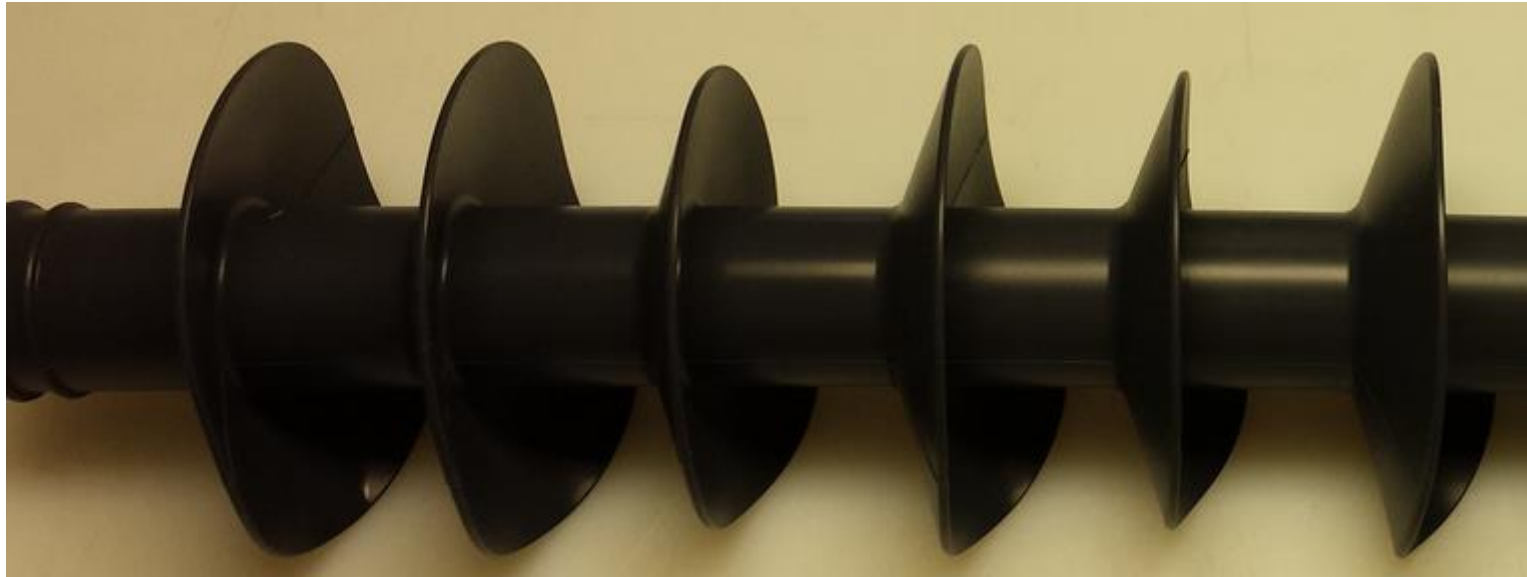


# Case studies



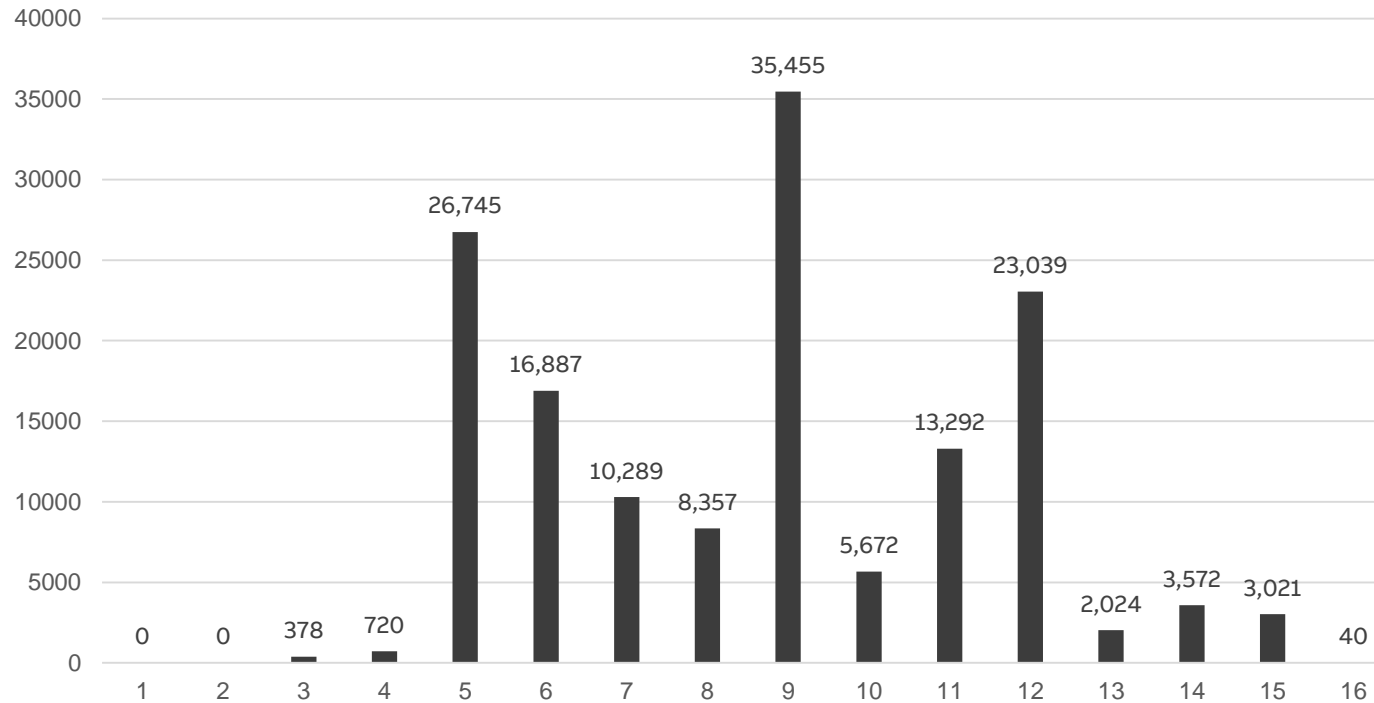
# Cutting Stock Problem

## Production of plastic pieces used in disaster recovery



# Initial input

- A mold creates a piece with 16 flaps
- Forecasted orders for year 2017





# Understading the problem

---

# Understading the problem

- What are the cost drivers?
  - Total time of production, waste, total plastic used, overproduction, cutting costs
- Is there the possibility to build a new mold?
  - Will different molds have the same yield?
  - Will different molds have the same throughput?
- Are the production requirements constant or they may vary on subsequent years (i.e. stochastic)?
- Is the yield of the cutting procedure constant?
- *Size of the problem?*

# Actual problem

- Decision variables
  - Which mold length to create
  - Which combination of molds to use subject to given production requirements
  - Which cutting patterns to use subject to given production requirements
- Minimize
  - Waste
  - Over-production
  - Number of cuts



# Item-based formulation (Kantorovich)

## Second Stage problem

### Variables

$x_{ij} = k \rightarrow$  integer variable, item “i” is cut out of stock “j”, “k” times

$y_j = \{0,1\} \rightarrow$  binary variable, whether stock “j” is used or not

$z_j = \{0,1\} \rightarrow$  binary variable, whether stock “j” produces waste or not

### Constraints

$\sum_j x_{ij} \geq d_i$  for all i  $\rightarrow$  all the production requirements must be met

$\sum_i l_i x_{ij} \leq L y_j$  for all j  $\rightarrow$  the total length of item in stock j must not exceed stock length

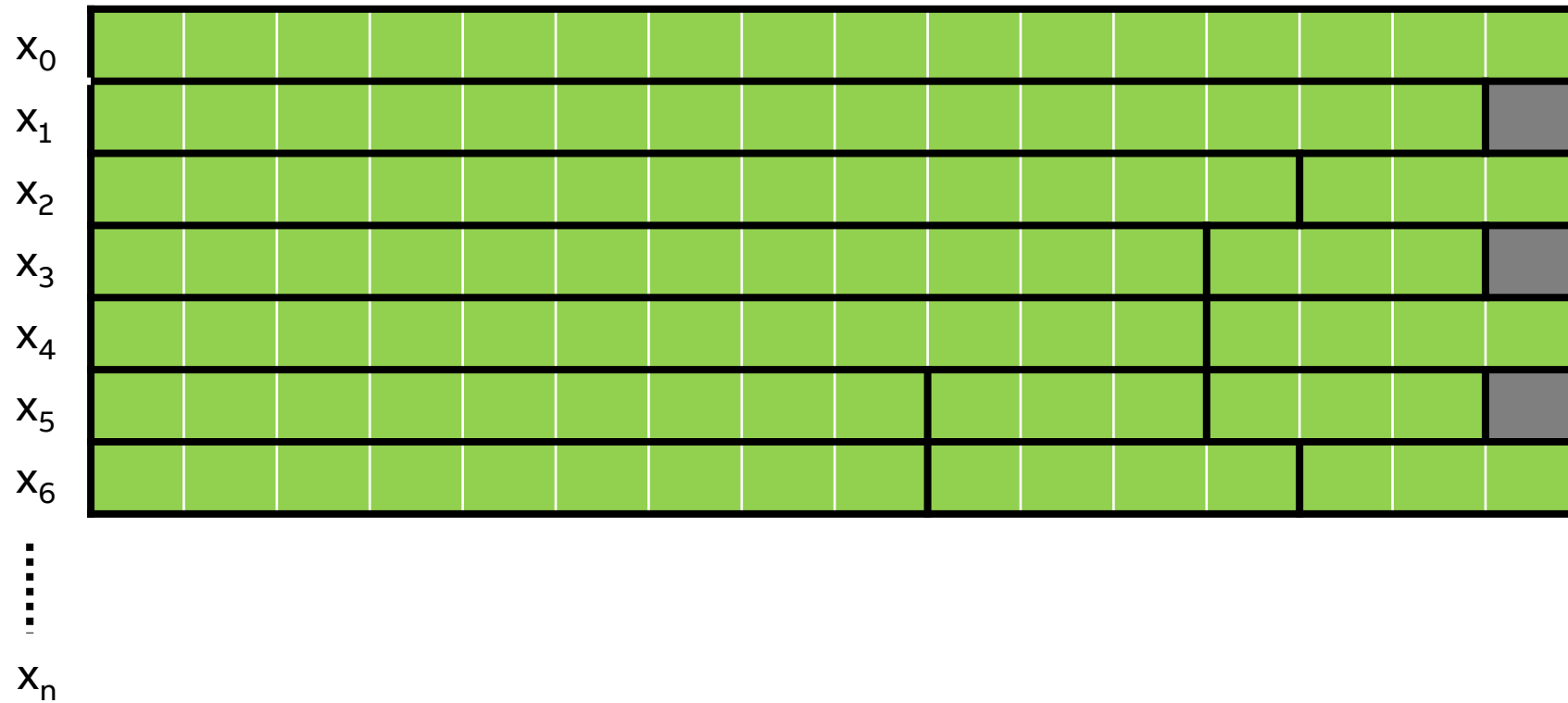
$L_j y_j - l_i x_{ij} \leq M z_j$  for all j  $\rightarrow$  z must be equal to 1 if stock j creates waste

### Objective function

$$\min \underbrace{\alpha_1 \left( \sum_i c_i (\sum_j x_{ij} - d_i) \right)}_{\text{overproduction}} + \underbrace{\alpha_2 (\sum_j L y_j - (\sum_i l_i x_{ij}))}_{\text{waste}} + \underbrace{\alpha_3 (\sum_j z_j)}_{\text{number of cuts*}}$$

# Pattern-based formulation (Gilmore and Gomory)

Second Stage problem





# Resolution method



# Pattern-based formulation (Gilmore and Gomory)

## Generation of patterns

### Variables

$z_i = k \rightarrow$  integer variable, number item “i” is cut out “k” times

$w = \{0, \dots, L\} \rightarrow$  integer variable, waste of the pattern

$o = \{0, \dots, L - 1\} \rightarrow$  integer variable, number of cutting operations

### Constraints

$L = \sum_i l_i z_i + w \rightarrow$  length constraint

$o = \sum_i l_i z_i - 1 + (Q > 0) \rightarrow$  number of cutting operations

# Pattern-based formulation (Gilmore and Gomory)

## Second Stage problem

### Variables

$x_j = q \rightarrow$  integer variable, pattern “j” is used “q” times

### Constraints

$\sum_j p_i x_j \geq d_i$  for all  $i \rightarrow$  all the production requirements must be met

### Objective function

$$\min \alpha_1 ( \underbrace{\sum_i c_i (\sum_j p_i x_j - d_i)}_{\text{overproduction}} ) + \alpha_2 ( \underbrace{\sum_j w_j x_j}_{\text{waste}} ) + \alpha_3 ( \underbrace{\sum_j o_j x_j}_{\text{number of cuts}^*} )$$

# Experimental results and observations

- Item-based formulation performed poorly when adding over-production, and number of cuts
- Pattern enumeration
  - Length 15 → 40 patterns (2 msec)
  - Length 25 → 328 patterns (28 msec)
  - Length 35 → 1995 patterns (300 msec)
- Instances solved within one second (length 16)
- Linear relaxation → within 0.03% of optimal integral solution
- Given the optimal solution in term of waste and overproduction, difference in term of cutting operations is 10% (for 150thousands items → ~50hours of work)



# Conclusions



# Conclusions

- CP is just one out of many optimization approaches
- Technology mastery is required to understand strengths and weaknesses of each technology
- Real challenges is understanding domain-specific knowledge and translate it into abstractions and mathematical formulations